

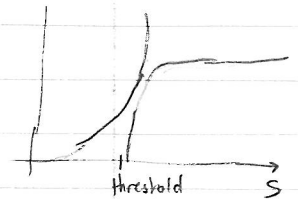
Notes on three-body decays:



→ LEVELS OF APPROX →

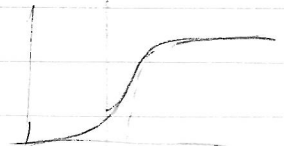
Crude: Below threshold, neglect width in denominator  
Above threshold, use on-shell (two-body) process.

off-shell  
 $\frac{1}{M^2 - m^2 + i\epsilon}$



two curves don't join perfectly.

Better: For narrow widths, neglect real part of  $\Sigma(p^2)$  and use Breit-Wigner form. (Valid for all  $Q^2$ )



Best: For large widths, retain full  $M^2$  dependence: (Valid across all  $Q^2$ )

$$\frac{1}{M^2 - m^2 - \Sigma(M^2)}$$

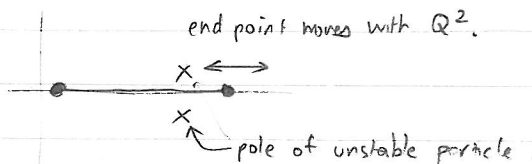
[Be sure to apply pinch technique to remove gauge dependence from  $\Sigma$ ].

Comments:

Useful to parameterize amplitude in a way that is consistent with unitarity.

$\Gamma$  in numerator,  $\Gamma$  in denominator.

Understand result (behavior near threshold) by investigating analytic structure.



NEARBY POLE saturates amplitude,

limit  $\Gamma \rightarrow 0$  gives narrow width approximation

Explore issue of double counting with

$$e^- N \rightarrow e^- N \gamma^* \rightarrow e^- e^+$$